Global estimates of evapotranspiration for climate studies using multi-sensor remote sensing data: Evaluation of three processbased approaches

Vinukollu, R.K., Wood, E.F., Ferguson, C.R., Fisher, J.B.: *Remote sensing of the Environment*, 2011

Models

- Surface Energy balance System (SEBS)
 Su, 2002
- Penman-Monteith Algorithm
 - Mu et al., 2007
- Priestley-Taylor Algorithm
 - Fisher et al., 2008

SEBS

 Partitions the available energy between the turbulent heat fluxes

 $LE = R_{net} - G - H$

PM-Mu Algorithm

Canopy Evaporation

Soil Evaporation

$$\lambda E_{can} = \frac{sA_{C} + \frac{\rho C_{p} (e_{sat} - e)}{R_{a}}}{s + \gamma \left(1 + \frac{R_{s}}{R_{a}}\right)}$$
$$Rs = \frac{1}{C_{c}} = \left(C_{s} \cdot LAI\right)^{-1}$$
$$C_{S} = c_{L} \cdot m(T \min) \cdot m(VPD)$$
$$m = \text{multiplier that limits potentia}$$
stomatal conductance by min T_{air} and when VPD is high

$$\lambda E_{soil} = \lambda E_{soil_Pot} \left(\frac{RH}{100}\right)^{\frac{e_{sat}-e}{100}}$$
$$\lambda E_{soil_Pot} = \frac{sA_{soil} + \frac{\rho C_p (e_{sat} - e)}{R_a}}{s + \gamma \frac{R_{tot}}{R_a}}$$

Priestley-Taylor

$$LE = \alpha \frac{\Delta}{\Delta + \gamma} (R_{\rm net} - G_{\rm flux})$$

Fisher et al. (2008) developed a model introducing ecophysiological constraint functions (ffunctions, unitless multipliers, (0–1) based on atmospheric moisture (VPD and RH) and vegetation indices (normalized and soil adjusted vegetation indices -NDVI and SAVI).

The driving equations in their model are:

$$LE = LE_{s} + LE_{c} + LE_{i}$$

$$LE_{c} = (1 - f_{wet})f_{g}f_{T}f_{M}\alpha \frac{\Delta}{\Delta + \gamma}R_{nc}$$

$$LE_{s} = (f_{wet} + f_{SM}(1 - f_{wet}))\alpha \frac{\Delta}{\Delta + \gamma}(R_{ns} - G_{s})$$

$$LE_{i} = f_{wet}\alpha \frac{\Delta}{\Delta + \gamma}R_{nc}$$

Assumptions

- None of the models incorporate soil moisture
- Ignored evaporation from blowing snow
- No transpiration over snow covered regions
- Canopy interception losses of precipitation

Datasets

- <u>LST/Emissivity</u> (T1) AIRS/MODIS
- <u>Albedo (T2)</u> MODIS (averaged BSA and WSA)
- <u>Radiation</u> (T1)

 $R_{\rm net} = (1 - \alpha_{\rm MODIS}) \cdot SW_{\downarrow \rm CERES} + LW_{\downarrow \rm CERES} - \left(\varepsilon_{\rm MODIS} \cdot \sigma \cdot LST_{\rm AIRS}^4\right)$

- <u>Surface meteorology</u> (T1) AIRS
- <u>Surface/vegetation characteristics</u> (T2) MODIS
- <u>Other</u> MODIS snow cover product, Surface Radiation Budget dataset (for converting instantaneous to daily values, etc)

Type 1 – subdiurnal variation Type 2 – no subdiurnal variation

Methodology

- Data are used with the three process models to estimate the instantaneous latent heat fluxes
- All models: LH flux for snow covered regions are estimated using the Penman equation. If the surface temperature is below freezing, assumed that there is no evaporation
- Instantaneous fluxes are converted to daily values by assuming that evaporative fraction is constant throughout the day $EF = \frac{LH}{A}$

Methodology - continued

• The daily ET is then extrapolated using:

$$ET_{daily} = \lambda \cdot n \cdot EF_{inst} \left(R_{net} - G \right)_{daytime}$$

- λ = latent heat of evaporation;
- n = 1.10 factor to include nighttime evaporation
- Interception losses are added to the ET estimate , and daily sensible heat flux is calculated from energy balance equation

$$H_{daily} = R_{net-daily} - G_{daily} - \lambda E T_{daily}$$







Monthly mean remote sensing estimates :

- (a) net radiation(Rnet);
- (b) soil heat flux (Gflux);
- (c) sensible heat flux(H-flux); and
- (d) latent heat flux
 (LE-flux), as
 compared
 with ground
 observations from
 flux towers for years
 2003–2006

Possible causes of discrepancy

- Fluxes from remote sensing are instantaneous retrievals, while flux tower data are averaged over 1-hour period
- Difference in spatial scales between the satellite footprints and the tower footprint + heterogeneity of the surface
- 3. Lack of energy balance closure for tower data

Energy Balance Closure

 $\frac{SH + LE}{R_{NET} - G}$ Yearly

Tower	Elev. (m)	Lat	Lon	Closure
ARM SGP — Main (ARM)	314	36.61	- 97.49	0.68
Audubon (AUD)	1469	31.59	- 110.51	0.70
Blodgett Forest (BLO)	1315	38.90	- 120.63	0.55
Bondville (BON)	219	40.01	- 88.29	0.56
Fort Peck (FPE)	634	48.31	- 105.10	0.64
Harvard (HAV)	340	42.54	- 72.17	NA
Mead – Rainfed (MEA)	363	41.18	- 96.44	0.85
Morgan Monroe (MMF)	275	39.32	- 86.41	0.24
Niwot Ridge (NIW)	3050	40.03	- 105.55	0.80
Sylvania Wilderness (SYL)	540	46.24	- 89.35	0.65
Tonzi (TON)	177	38.43	- 120.97	0.42
UMBS (UMBS)	234	45.56	- 84.71	NA

Results – comparison against tower data: Latent heat flux



Latent heat flux - continued



Comparison against tower data: Sensible heat flux





Sensible heat flux - continued



Continental/global scale

 Results presented in a zonal monthly Hovmöller diagram of the mean (of the 3 models used) evapotranspiration (mm/month) for the 6 continents.







South America



Global annual ET for years 2003 through 2006























Conclusions

Small scale comparison

- Correlations of 0.43-0.54 in the instantaneous LE fluxes between remote sensing and tower fluxes
- Correlations of 0.51-0.65 in monthly ET, RMSD: 20-27 W/m²

Regional / global scale comparison

- Basin sale comparison RS ET estimates vs. evaporation from climatological precipitation and basin discharge - agree well
- Global scale compared to VIC surface model and ERA interim reanalysis data – had higher Kendall's T coefficient and lower bias
- PM-Mu algorithm provides a lower estimate of ET compared to SEBS and PT-Fi. (Examples: central Asia, Australia, Europe, Western US)